

OSCILLATORS



Oscillators

- Electronic circuits that produces output signal of any specific frequency.
- An oscillator consists of an amplifier and a feedback network
- 'Active device' either Transistor or Op Amp is used as an amplifier.

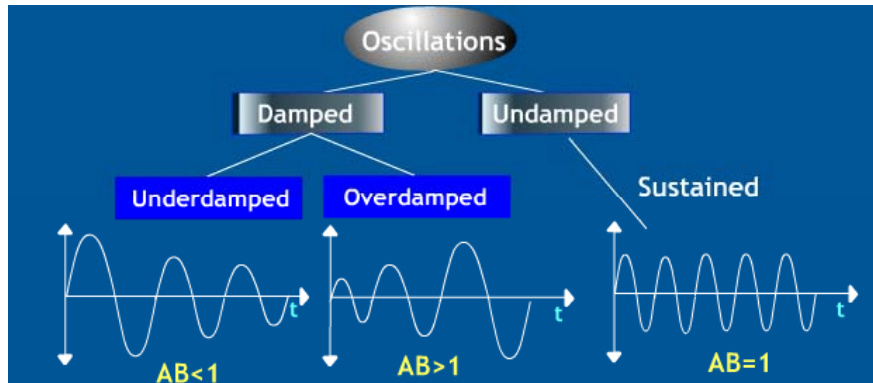
Types of Oscillators

- **1. RC oscillators:** They use a resistance-Capacitance network to determine the oscillator frequency.
 - They are suitable for low (audio range) and moderate frequency applications (5Hz to 1MHz). They are further divided as,
 - RC phase shift oscillator
 - Wien bridge oscillator
 - Twin-T oscillator
- **2. LC oscillators:** Here, inductors and capacitors are used either in series or parallel to determine the frequency.
 - They are more suitable for radio frequency(1 to 500 MHz) and further classified as,

Cont'd

- Hartley Oscillators
 - Colpitts Oscillators
 - Clapp Oscillators
 - Armstrong oscillators
- **3. Crystal oscillator:** Like LC oscillators it is suitable for radio frequency applications. But it has very high degree of stability and accuracy as compared to other oscillators.

Types of Oscillations



Barkhausen Criterion

- **Barkhausen Criterion**

- **Condition 1**

- The magnitude of the loop gain ($A\beta$) must be unity.
 - Beta = feed back Ratio : The fraction of the output given at the input

$$A_f = \frac{A}{1 - A\beta}$$

Cont'd

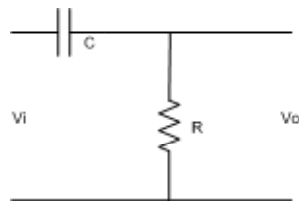
- When $A\beta = 1$ $A_f = \infty = V_o/V_i$
 - $V_o/V_i = \infty$, implies that $V_i = 0$
 - Means without giving any input voltage we are getting output V_o
 - **Condition 2**
 - The second condition is that the phase shift around the loop must be 360° or 0° . This means, the phase shift through the amplifier and feedback network has to be 360° or 0°

Cont'd

- An amplifier if given the positive feed back results in Oscillations
- Positive Feed Back : Output voltage and input voltage should be in phase .
- For making positive feedback, introduce a phase shift network, that network produces another 180° phase shift
- total $180^\circ + 180^\circ = 360^\circ = 0^\circ$

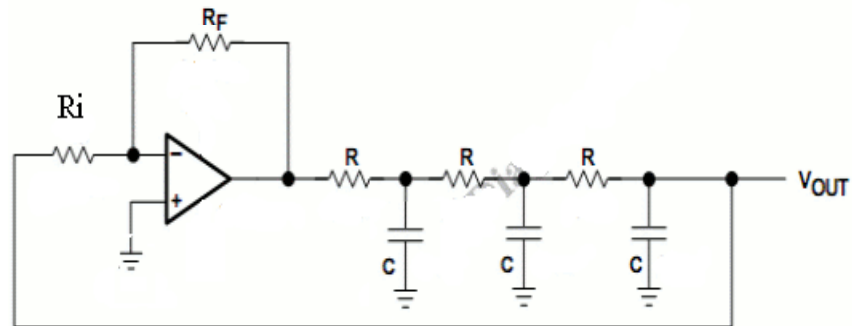
How to produce Phase Shift

- Introduce RC Network to produce the phase shift.



- $\Phi = \tan^{-1} (X_c / R)$
 - When $X_c = 0$, $\tan \Phi = 0$, $\Phi = 0^\circ$
 - When $R = 0$ $\tan \Phi = \infty$, $\Phi = 90^\circ$
 - By having 1-RC circuit, we can have a phase difference of $0 - 90^\circ$
 - So phase shift using 1RC is max 90 , but mostly less than 90°
 - A min of 3-RC circuits is required to produce phase shift of 180°

RC Phase Shift Oscillators



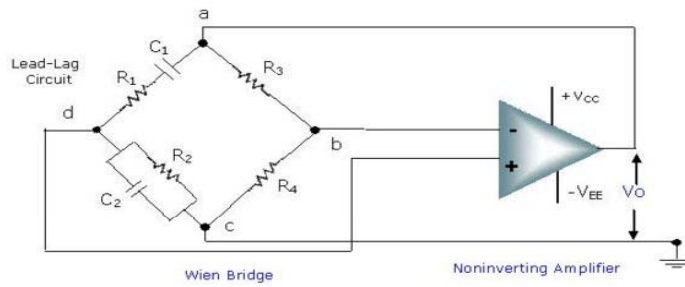
$$f = 1 / (2\pi \cdot \sqrt{6} \cdot C \cdot R)$$

$$A_v = R_f / R_i$$

Problem

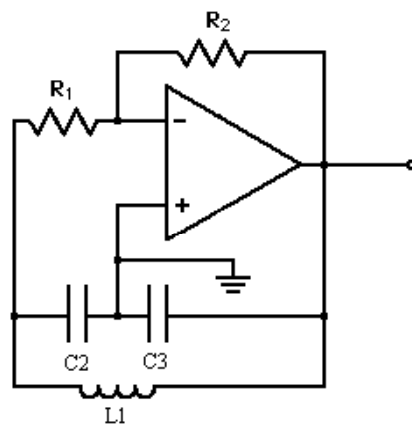
- Determine the value of R_f necessary for the circuit to operate as an oscillator, Determine the frequency of oscillation.
 - Given : $C = 0.01\mu\text{F}$, $R = 10\text{k}\Omega$, $A_v = 29$
 - **Solution**
 - $f = 1 / (2\pi \cdot \sqrt{6} \cdot C \cdot R) = 1 / (2\pi \cdot \sqrt{6} \cdot 0.01\mu \cdot 10\text{k})$
 - $f = 650 \text{ Hz}$
 - $A_v = R_f / R_i$
 - $R_f = A_v \cdot R_i = 29 \cdot 10\text{k} = 290\text{k}\Omega$

Wein - Bridge Oscillators



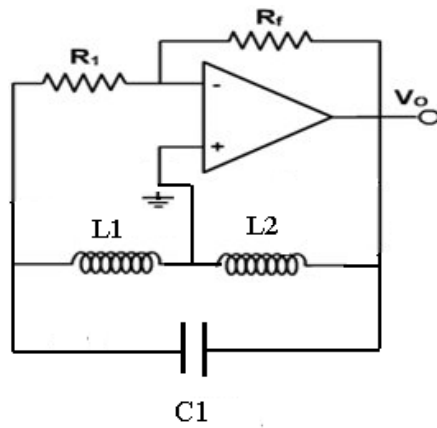
$$f = 1 / (2\pi * \sqrt{(C1 . C2 . R1 . R2)})$$

Colpitt Oscillator



- $f = 1 / (2\pi * \sqrt{(L1 . Cs)})$
- $Cs = C2 . C3 / (C2 + C3)$
- $Av = C2 / C3$

Hartley Oscillator



- $f = 1 / (2\pi\sqrt{C1(L1+L2)})$
- Gain = $L2/L1$